November 2022 NMR Topic of the Month: The BIRD is the word.



For what does the acronym BIRD stand?

BIRD = BIlinear Rotation Decoupling.

What is the role of the BIRD sequence?

The BIRD sequence is a filter, it removes uncoupled magnetization during the Δ period through T₁ relaxation.

How does the BIRD work?

Product-operators can help explain, but the solution at ρ_7 does a poor job. Instead, a better explanation is found at ρ_5 . As usual, $c_{\chi} = \frac{1}{4} \left(\gamma_{\chi} B_0 / k_B T \right)$:

$$\begin{aligned} \rho_0 &= c_1 I_z + c_s S_z \rightarrow \rho_1 = c_1 I_z - c_s S_y \rightarrow \\ \rho_2 &= c_1 I_z - c_s S_y cos(\omega_s \tau) cos(\pi J \tau) + c_s S_x sin(\omega_s \tau) cos(\pi J \tau) + c_s 2 I_z S_x cos(\omega_s \tau) sin(\pi J \tau) + c_s 2 I_z S_y sin(\omega_s \tau) sin(\pi J \tau) \rightarrow \\ \rho_3 &= -c_1 I_z + c_s S_y cos(\omega_s \tau) cos(\pi J \tau) + c_s S_x sin(\omega_s \tau) cos(\pi J \tau) - c_s 2 I_z S_x cos(\omega_s \tau) sin(\pi J \tau) + c_s 2 I_z S_y sin(\omega_s \tau) sin(\pi J \tau) \rightarrow \\ \rho_4 &= -c_1 I_z + c_s S_y cos(\omega_s \tau) cos(\pi J \tau) + c_s S_x sin(\omega_s \tau) cos(\pi J \tau) - c_s 2 I_z S_x cos(\omega_s \tau) sin(\pi J \tau) + c_s 2 I_z S_y sin(\omega_s \tau) sin(\pi J \tau) \rightarrow \\ \rho_5 &= -c_1 I_z - c_s S_z cos(2\pi J \tau) - c_s 2 I_z S_x sin(2\pi J \tau) \rightarrow \\ \rho_5 &= -c_1 I_z - c_s S_z cos(2\pi J \tau) - c_s 2 I_z S_x sin(2\pi J \tau) \rightarrow \\ \rho_6 &= -c_1 I_z - c_s S_z cos(2\pi J \tau) - c_s 2 I_z S_x sin(2\pi J \tau) \rightarrow \\ \rho_5 &= -c_1 I_z - c_s S_z cos(2\pi J \tau) - c_s 2 I_z S_x sin(2\pi J \tau) \rightarrow \\ \rho_5 &= -c_1 I_z - c_s S_z cos(2\pi J \tau) - c_s 2 I_z S_x sin(2\pi J \tau) \rightarrow \\ \rho_5 &= -c_1 I_z - c_s S_z cos(2\pi J \tau) - c_s 2 I_z S_x sin(2\pi J \tau) \rightarrow \\ \rho_6 &= -c_1 I_z - c_s S_z cos(2\pi J \tau) - c_s 2 I_z S_x sin(2\pi J \tau) \rightarrow \\ \rho_5 &= -c_1 I_z - c_s S_z cos(2\pi J \tau) - c_s 2 I_z S_x sin(2\pi J \tau) \rightarrow \\ \rho_5 &= -c_1 I_z - c_s S_z cos(2\pi J \tau) - c_s 2 I_z S_x sin(2\pi J \tau) \rightarrow \\ \rho_5 &= -c_1 I_z - c_s S_z cos(2\pi J \tau) - c_s 2 I_z S_x sin(2\pi J \tau) \rightarrow \\ \rho_5 &= -c_1 I_z - c_s S_z cos(2\pi J \tau) - c_s 2 I_z S_x sin(2\pi J \tau) \rightarrow \\ \rho_5 &= -c_1 I_z - c_s S_z cos(2\pi J \tau) - c_s 2 I_z S_x sin(2\pi J \tau) \rightarrow \\ \rho_5 &= -c_1 I_z - c_s S_z cos(2\pi J \tau) - c_s 2 I_z S_x sin(2\pi J \tau) \rightarrow \\ \rho_5 &= -c_1 I_z - c_s S_z cos(2\pi J \tau) - c_s 2 I_z S_x sin(2\pi J \tau) \rightarrow \\ \rho_5 &= -c_1 I_z - c_s S_z cos(2\pi J \tau) - c_s 2 I_z S_x sin(2\pi J \tau) \rightarrow \\ \rho_5 &= -c_1 I_z - c_1 I_z -$$

Consider two cases at ρ_5 : J = 0 and $J \neq 0$ but $\tau = \frac{1}{|2J|}$. For the uncoupled case (J = 0), $\rho_5 = -c_1 I_z - c_s S_z$ so the S-spin magnetization is along $-\hat{z}$ and will diminish under the spin-lattice relaxation during Δ . In the latter case, $\rho_5 = -c_1 I_z + c_s S_z$ so the S-spin magnetization is along $+\hat{z}$ and will happily sit there until the final pulse. During Δ the anti-phase term will also diffuse and be lost, this is often further ensured by the application of a gradient pulse. In the version of the BIRD shown above the Δ time is varied to find the minimum in the uncoupled signal. If you don't wait long enough the uncoupled signal survives the Δ period, but the magnetization that has relaxed back to $+\hat{z}$ during Δ also will be detected - so there's a trade-off. Keep in mind that a ¹H-¹³C ¹J ≈ 140Hz so $\tau \approx 3.6$ ms, but Δ may be many seconds.

References

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